

6 /7/2011

**Ex.1 (Pt.10)**

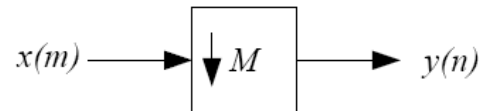
Consider the following filter  $H_1(z)$ , it is applied to a signal sampled at 200 Hz.

$$H_1(z) = \frac{1 - z^{-4}}{1 + z^{-1}}$$

1. What kind of filter is it? Explain why it could be useful to remove power supply noise at 50 Hz.
2. If the input signal is  $x(n) = 5 \cos(2\pi \cdot 100 \cdot n)$  what will be the amplitude of the output?
3. Define the impulse response  $h(n)$  of the filter.

**Ex.2 (Pt.10)**

Describe the downsampling of an order of 4 of a signal: (where  $M=4$ ).



1. If the original signal spectrum extends from  $-\pi/3$  to  $\pi/3$  (in normalized frequencies) draw the final spectrum after downsampling (quoting both axes).
2. How can be avoided aliasing? Describe the optimal decimation chain for this case.

**Ex.3 (Pt.10) MATLAB**

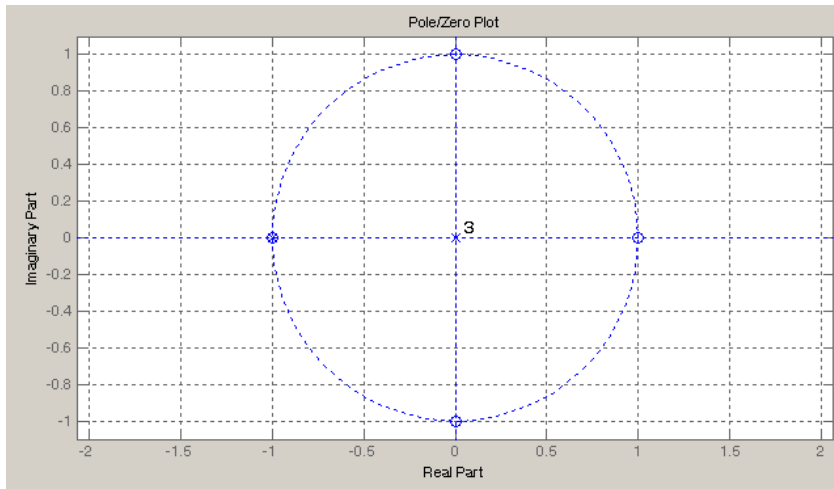
1. Load the waveform 'voiced\_a.wav' and determine the sampling frequency  $F_s$ .
2. Consider a LTI digital filter characterized by the following difference equation:  

$$h(n) = -0.99 y(n-1) + x(n)$$
3. Compute its impulse response for  $0 \leq n \leq 1000$ .
4. Filter the input sequence  $x(n)$  with  $h(n)$  computing the convolution by means the OLA approach: segment the signal  $x(n)$  into overlapping frames of length 40ms using a Bartlett window at 50% overlap.

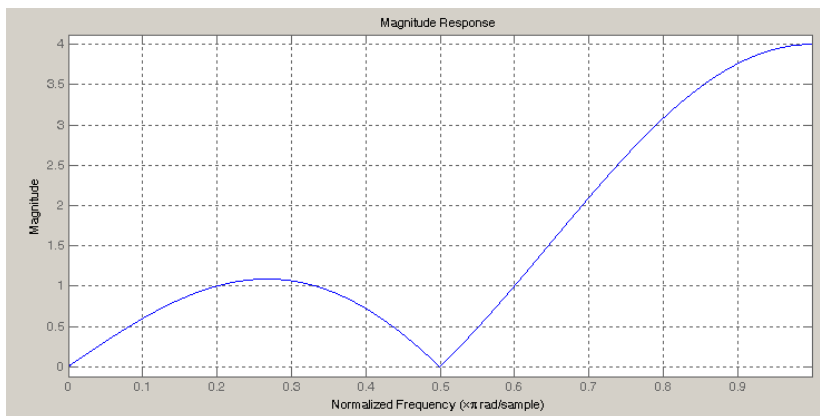
# Solutions

## Ex.1:

The zeros-poles diagram is:



The amplitude response is:



The impulse response is:

